June 3, Week 1

Physics 151, Dr. Mark Morgan-Tracy

Today: Chapter 1, Position, Displacement, and Velocity

Please Register your Clicker.

Homework Assignment #1 - Available on class webpage, Due this Friday, June 6.

Mechanics - Study of how and why objects move.

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Kinematics - Motion without regard to how it is caused.

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To describe motion *completely*, we need to know:

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To describe motion *completely*, we need to know:

Where the object is located at every time = Position

How fast and in what direction the object is going at every time = Velocity

Whether the object is speeding up or slowing down at every time = Acceleration

Motion Diagrams - Picture of the object's position at equally spaced times.

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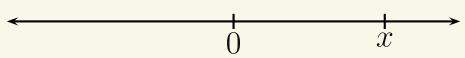
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Later we'll include arrows
 to indicate direction of motion

Position = How far and what direction from an origin.

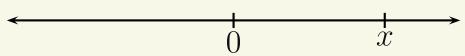
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What You'll See:

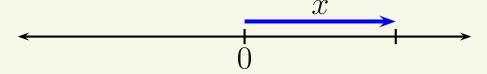


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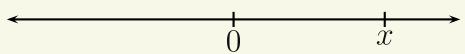


What What We Mean:

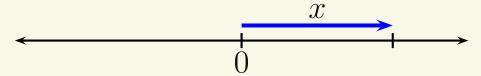


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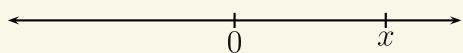
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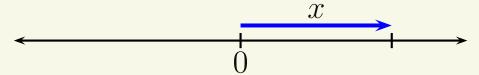
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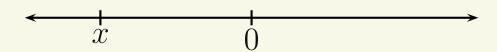
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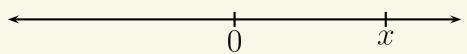


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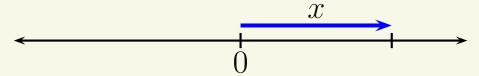


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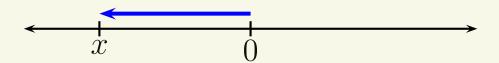
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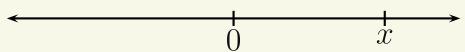


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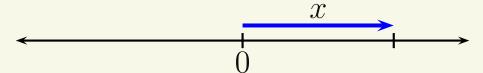


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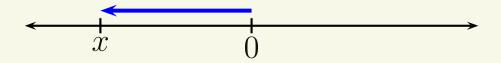


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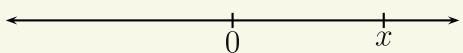
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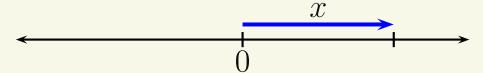


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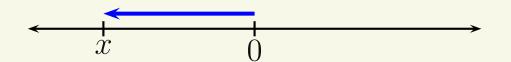


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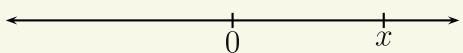
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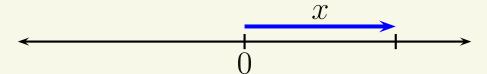
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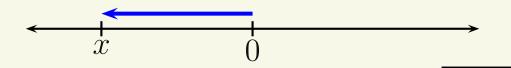


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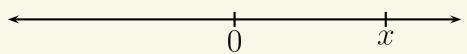


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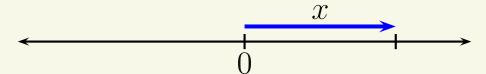
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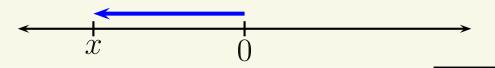


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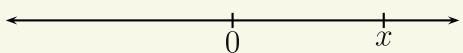
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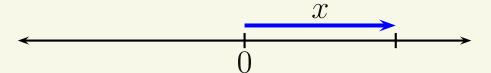
To the right

Position = How far and what direction from an origin.

What You'll See:

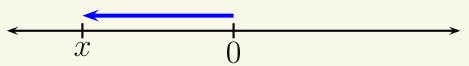


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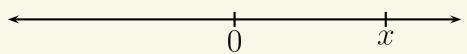
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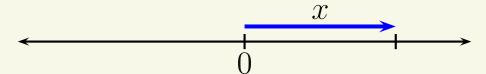
Negative:

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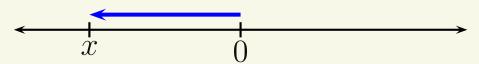


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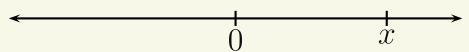


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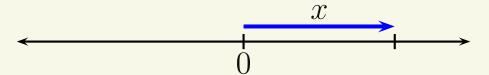
Positive:	To the right
Negative:	To the left

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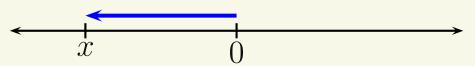


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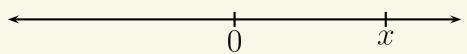
Usual Convention:

Positive:	To the right	Up
Negative:	To the left	

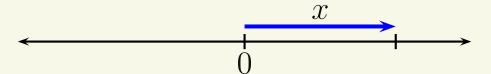
Intro

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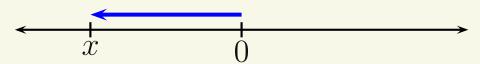


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Usual Convention:

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Negative:	To the left	Down

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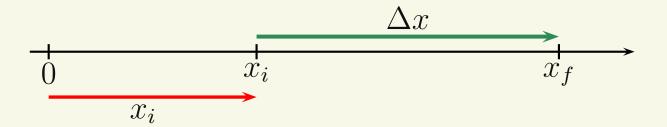
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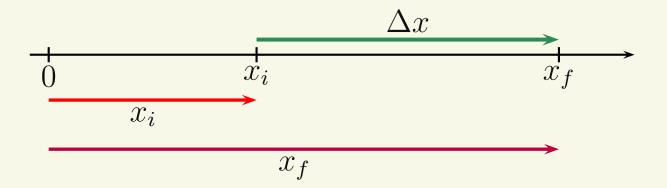
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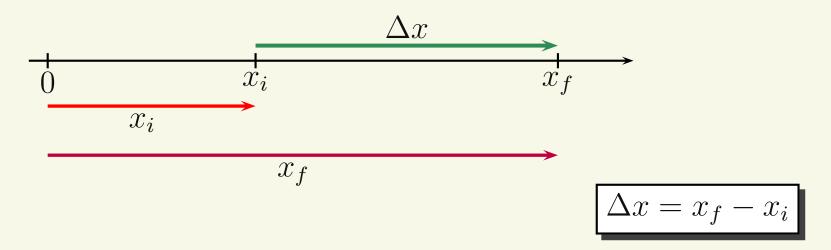
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(b)
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(b) $-39 \, cm$

(c) 4.35 m

(b)
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(d)
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(b)
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(c)
$$4.35 m$$

(d)
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(e)
$$-4 m$$

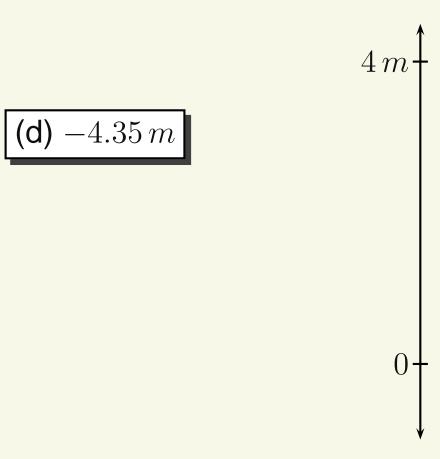
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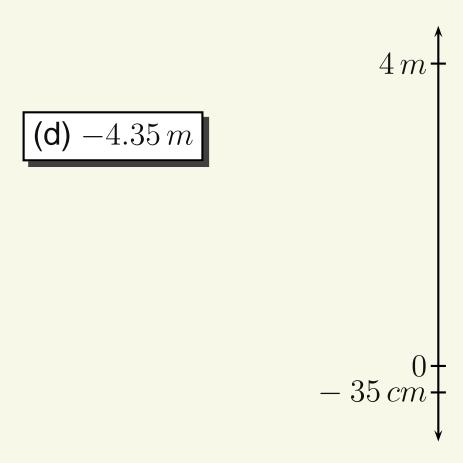
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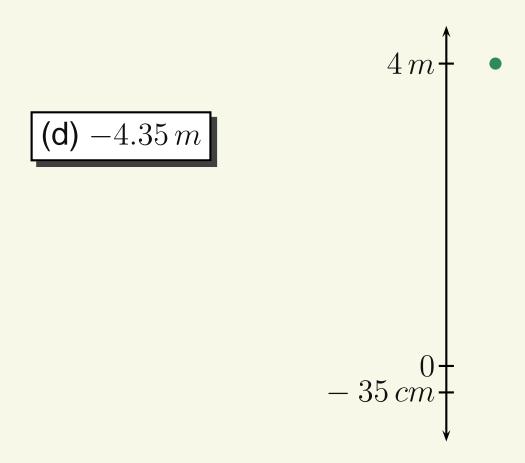
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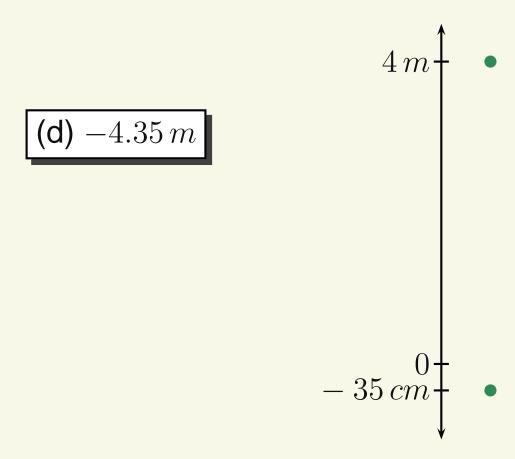
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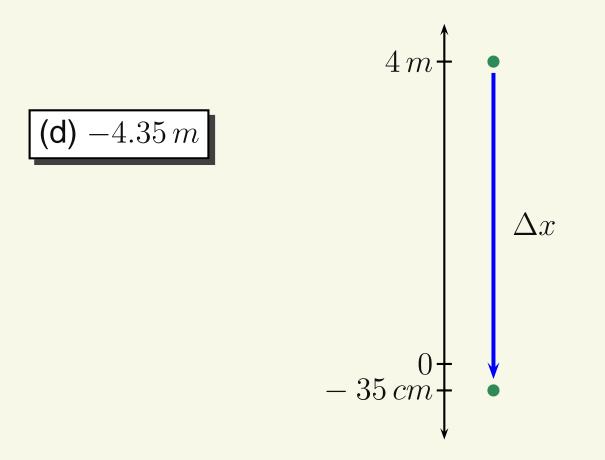
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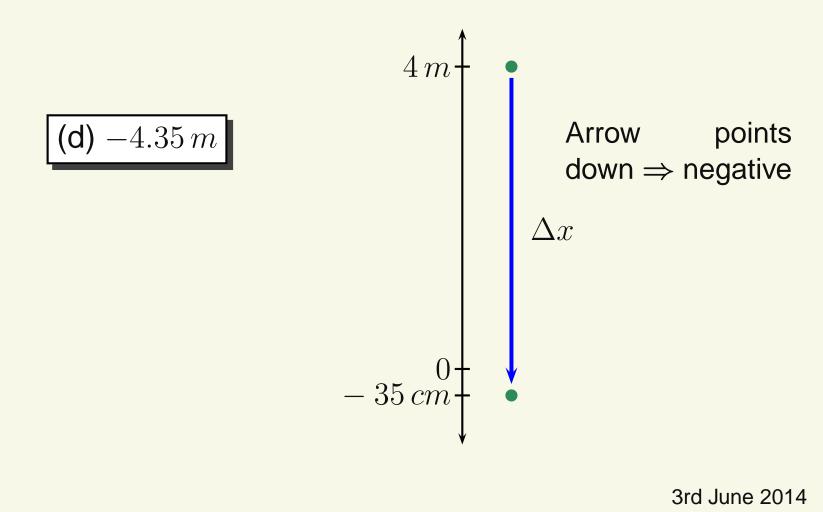
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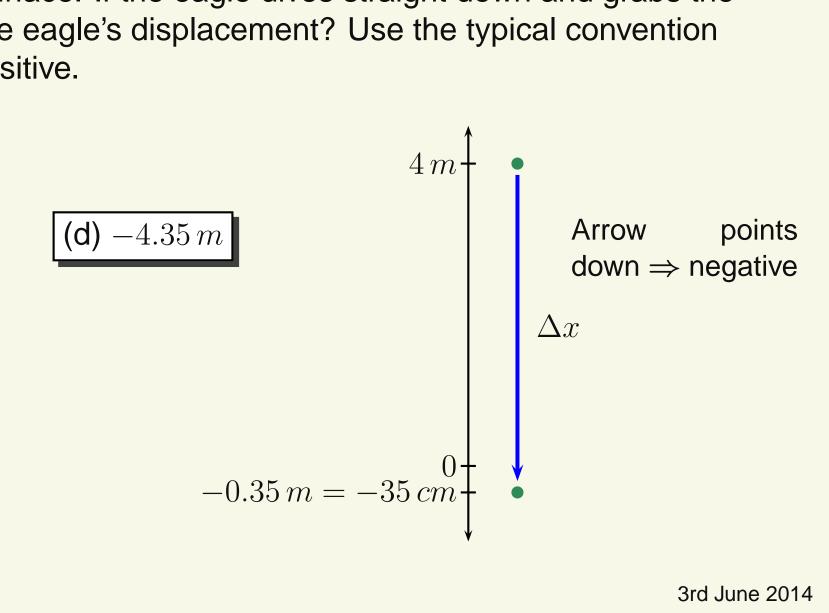


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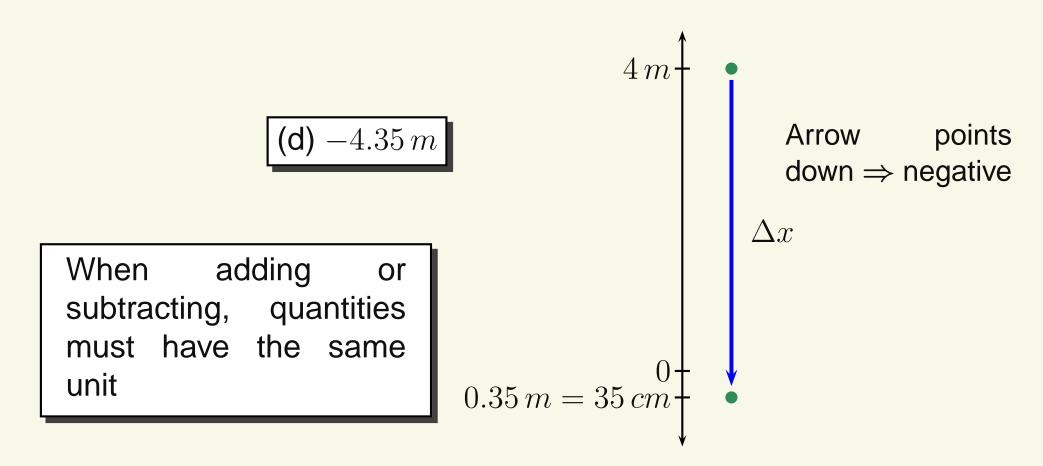
3rd June 2014 Intro

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Intro

Distance

Distance, d = always positive number which gives how far an object has traveled.

An eagle is flying 4m above a lake when it spies a fish that is 35cm below the surface. The eagle dives straight down, grabs the fish, and then flies straight back up to where it started. For the entire trip, what the eagle's displacement Δx and distance d traveled? Use the typical convention that up is positive.

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(a)
$$\Delta x = 0, d = 8.7 \, m$$

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(c)
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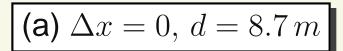
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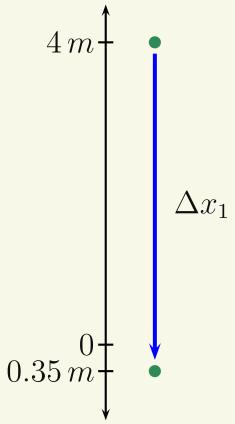
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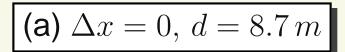
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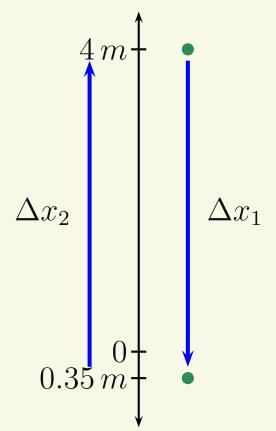
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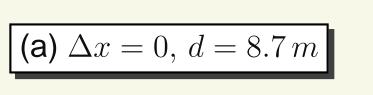


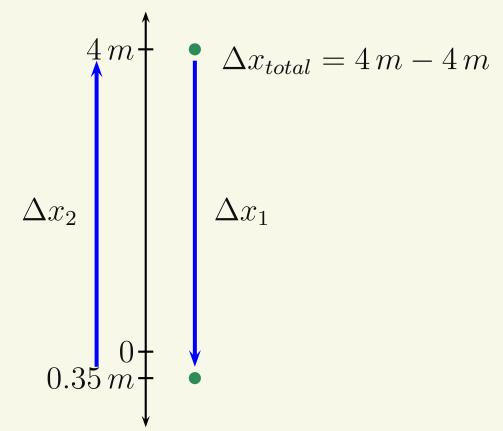
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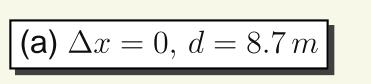


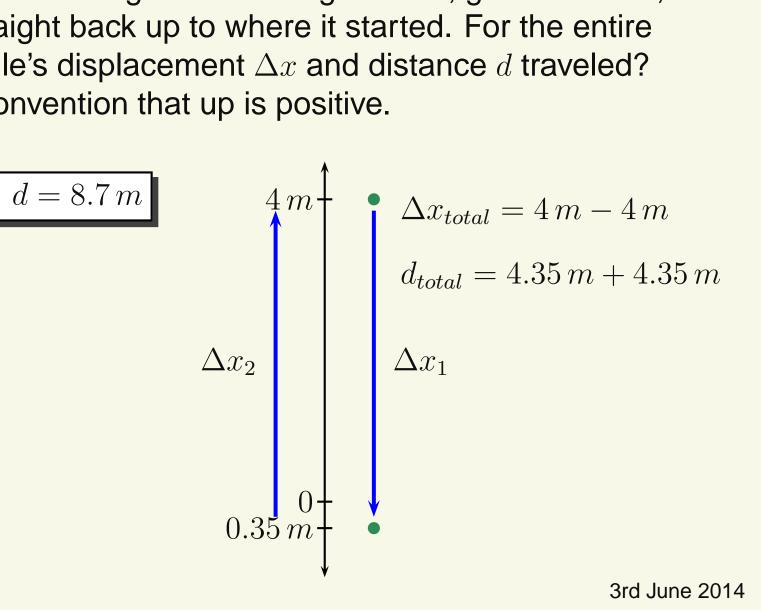
An eagle is flying 4m above a lake when it spies a fish that is 35cm below the surface. The eagle dives straight down, grabs the fish, and then flies straight back up to where it started. For the entire trip, what the eagle's displacement Δx and distance d traveled? Use the typical convention that up is positive.





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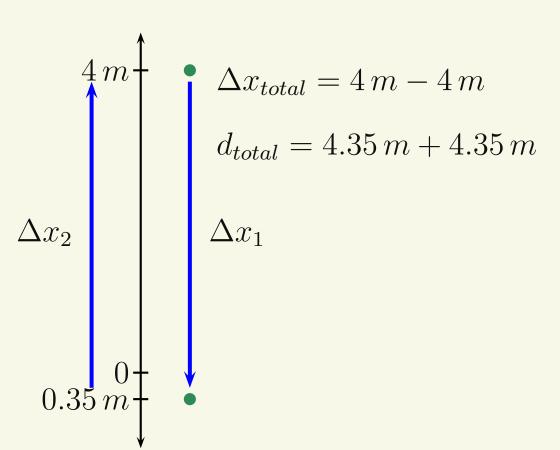


Intro

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(a) $\Delta x = 0, d = 8.7 \, m$

Total displacement doesn't depend on what happens during the motion. Distance does.



Intro

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Which of the following cars would have the largest velocity?

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 $v=\frac{\Delta x}{\Delta t}$ \Rightarrow the smaller the time for a given Δx , the larger the velocity.

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Let units help you! $\frac{100 \, m}{20 \, m/s} = 5 \, (m) \left(\frac{s}{m}\right) = 5 \, s$

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Increasing arrow length ⇒ speeding up

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