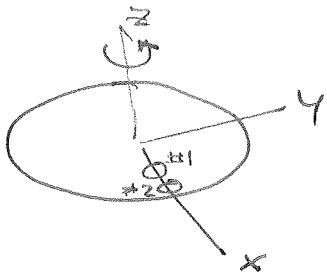


Physics 160

Extra Credit #22

# LADYBUGS



a) Angular Speeds?  $\rightarrow$  THE SAME! All points HAVE SAME Angular  $\bullet$  velocity

b) Ratio of  $\frac{v_2}{v_1} = ?$

$$v_2 = \omega r_2, v_1 = \omega r_1 \Rightarrow \frac{v_2}{v_1} = \frac{\omega r_2}{\omega r_1} = \frac{r_2}{r_1}$$

$$r_2 \text{ is twice } r_1 \Rightarrow \frac{v_2}{v_1} = 2$$

c)  $\frac{a_2}{a_1} = ?$

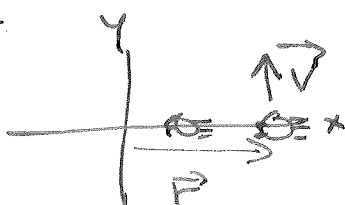
THE SHOULD HAVE BEEN MORE CAREFUL & LET US KNOW THAT THE ANGULAR VELOCITY IS CONSTANT ~~OR~~ <sup>wanted</sup> ONLY <sup>to be</sup> LINEAR ACCELERATION ~~is~~  $a_{rad}$

$$a_{rad} = \frac{v^2}{r} = \omega^2 r \Rightarrow \frac{a_2}{a_1} = \frac{\omega^2 r_2}{\omega^2 r_1} = \frac{r_2}{r_1} = 2$$

d) Direction of  $\vec{\omega}$ . BY RHR,  $\vec{\omega}$  IS ALONG +Z AXIS

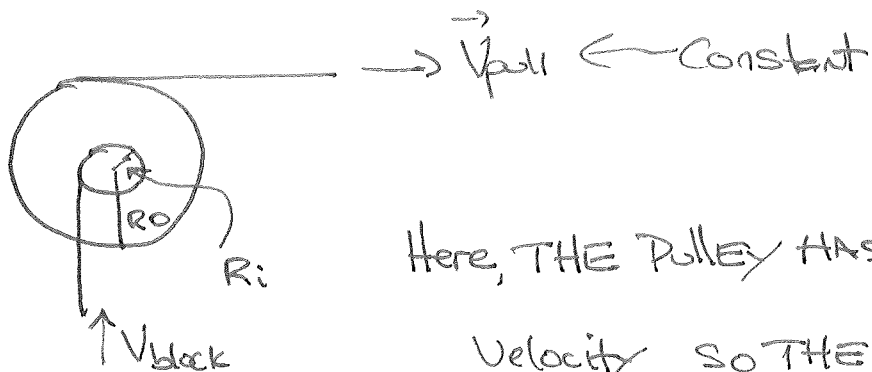
e) Direction of  $\vec{a}_{tan}$ ? THEY ARE STANDING ON X-AXIS. SO IF WE JUST

DRAW ~~xy~~ PLANE



$\vec{v}$  IS  $90^\circ$  TO  $\vec{r} \Rightarrow \vec{v}$  IS ALONG  $y$ -AXIS.  
SLOWING DOWN  $\Rightarrow \vec{a}_{tan}$  OPPOSITE TO  $\vec{v} \Rightarrow -y$  AXIS

## Linear ... Ranking test



Here, THE PULLEY HAS ONE ANGULAR Velocity, SO THE PULLING ROPE AND Block's Rope HAVE TO HAVE THE SAME Angular velocity

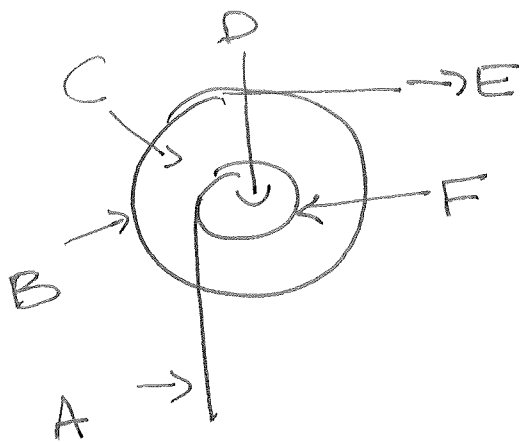
$$V = \omega r \Rightarrow \omega = \frac{V}{r} \Rightarrow \frac{V_{\text{pull}}}{R_o} = \frac{V_{\text{block}}}{R_i} \Rightarrow V_{\text{block}} = \frac{R_i}{R_o} V_{\text{pull}}$$

↑                      ↑  
outer                      inner

So FIND  $\frac{R_i}{R_o}$  for each:  $\frac{R_i}{R_o} = \frac{0.2}{0.4} = 0.5$ ,  $\frac{R_i}{R_o} = \frac{0.2}{0.6} = 0.33$

$$\frac{R_i}{R_o} = \frac{0.5}{0.6} = 0.833, \quad \frac{R_i}{R_o} = \frac{0.3}{0.4} = 0.75, \quad \frac{R_i}{R_o} = \frac{1}{2} = 0.5, \quad \frac{R_i}{R_o} = \frac{0.4}{0.8} = 0.5$$

Rank Accordingly



Rank BASED ON LINEAR Speeds.

$$V = \omega r \Rightarrow \text{Bigger } r \Rightarrow \text{Bigger } V$$

D at center  $\Rightarrow V = 0$ , B on Edge  $\Rightarrow$  largest

F is ~~next~~ <sup>Between</sup>. C is Between F & B.

Finally <sup>linear</sup> speed of Rope at A must be same as F since it

touches pulley at SAME RADIUS.

Pulling Rope <sup>at</sup> E must be same as B since E & B at SAME RADIUS

Largest  $\left\{ \begin{array}{l} E \\ B \end{array} \right\} \left\{ C \right\} \left\{ \begin{array}{l} A \\ F \end{array} \right\} \left\{ \begin{array}{l} D \end{array} \right\}$  smallest

Radial Acceleration :  $a_{rad} = \omega^2 r$  For points that are going

around circle. A & E are going in straight line  $\Rightarrow$  zero  $a_{rad}$

$\Rightarrow$  <sup>SAME</sup> Ranking but with E & A of smallest

Largest  $\left\{ B \right\} \left\{ C \right\} \left\{ F \right\} \left\{ \begin{array}{l} E \\ A \\ D \end{array} \right\}$  smallest

## Acceleration in UltraCentrifuge

$$a_{\text{rad}} = \omega^2 r \quad a_{\text{rad}} = 6 \times 10^5 g = 6 \times 10^5 (9.8 \text{ m/s}^2) = 5.88 \times 10^6 \text{ m/s}^2$$

$$r = 3 \text{ cm} = 0.03 \text{ m}$$

$$\omega^2 = \frac{5.88 \times 10^6 \text{ m/s}^2}{0.03 \text{ m}} = 1.96 \times 10^8 \text{ /s}^2$$

$$\omega = \sqrt{1.96 \times 10^8 \text{ /s}^2} = 14000 \text{ /s} \quad \text{INSERT RAD when needed}$$

$$\omega = 14000 \frac{\text{rad}}{\text{s}} \times \frac{\text{rev}}{2\pi \text{ rad}} \times \frac{60 \text{ s}}{\text{min}} = 133680 \text{ RPM} = 134000 \text{ RPM}$$