

Physics 160

Extra Credit #11

4.19

$$\text{on Io } g = 1.8 \text{ m/s}^2$$

$$\text{on Earth } g = 9.8 \text{ m/s}^2$$

$$W = 56 \text{ N on Earth}$$

$$W = mg \Rightarrow m = \frac{W}{g} = \frac{56 \text{ N}}{9.8 \text{ m/s}^2} = 5.71 \text{ kg}$$

b) Mass on Io? \rightarrow MASS the SAME everywhere!

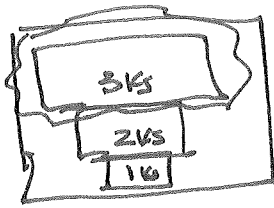
$$m = 5.71 \text{ kg}$$

c) Weight on Io? $W = (5.71 \text{ kg})(1.8 \text{ m/s}^2) = 10.3 \text{ N}$

SPACE WALK

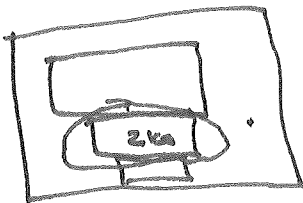
- a) you can't swim or walk in space because there's nothing to push against. Throwing a tool away from shuttle will cause a force towards shuttle on astronaut.
- b) she should throw largest tool. That way her mass will be smaller after the throw, so she'll have the largest acceleration.
- c) Throws w/ $F = 16 \text{ N} \Rightarrow 16 \text{ N}$ on her. In outer space this would be the only force on her. $\Rightarrow \Sigma F = 16 \text{ N}$, $\Sigma F = ma \Rightarrow a = \frac{\Sigma F}{m} = \frac{16 \text{ N}}{80 \text{ kg}} = 0.2 \text{ m/s}^2$

Blocks IN AN ELEVATOR



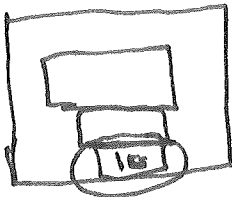
Forces on 3kg: Upwards force from
 $2\text{kg} \Rightarrow \vec{F}_{2\text{ON}3}, \text{UP}$ (only 2kg box
 AT BOUNDARY)

Weight of 3kg DOWN: $w_3 = (3\text{kg})(9.8\text{m/s}^2)$
 $= 29.4\text{N}$



Forces on 2kg: Downwards force from 3kg
 $\Rightarrow \vec{F}_{3\text{ON}2}$ BY 3RD LAW $\vec{F}_{3\text{ON}2} = \vec{F}_{2\text{ON}3}$
 Upwards force from 1kg $\Rightarrow \vec{F}_{1\text{ON}2}$

Weight of 2kg, DOWN: $w_2 = (2\text{kg})(9.8\text{m/s}^2)$
 $= 19.6\text{N}$



Forces on 1kg: Downwards force from
 $2\text{kg} \Rightarrow \vec{F}_{2\text{ON}1}$, 3RD LAW $\vec{F}_{2\text{ON}1} = \vec{F}_{1\text{ON}2}$
 Upwards force from FLOOR: $\vec{F}_{\text{Floor ON } 1}$

Weight of 1kg, DOWN, $w_1 = (1\text{kg})(9.8\text{m/s}^2)$
 $= 9.8\text{N}$

Finally, 3RD LAW $\vec{F}_{1\text{ONFloor}} = \vec{F}_{\text{Floor ON } 1}$.

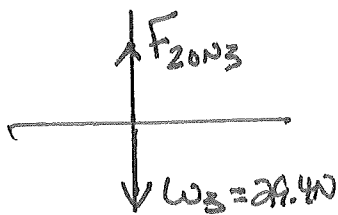
Notice how 3kg exerts NO force on 1kg since they DON'T touch

$\vec{F}_{3\text{ON}1} = \vec{F}_{1\text{ON}3} = 0$

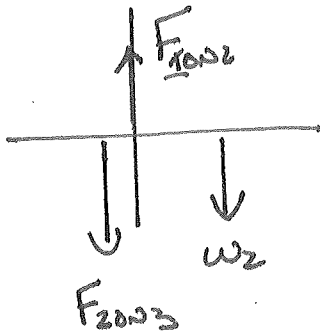
(cont.)

Fbd's :

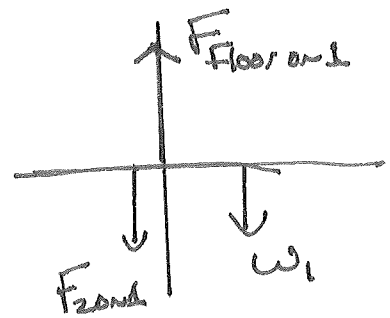
M₃



M₂



M₁



ELEVATOR at rest $\Rightarrow \sum \vec{F} = 0$ ON ALL BOXES

SO FROM M₃ WE GET $F_{2 \text{ on } 3} = W_3 = 29.4 \text{ N}$

FROM M₂ AND 3RD LAW, WE GET $F_{1 \text{ on } 2} = F_{2 \text{ on } 3} + W_2 = 29.4 \text{ N} + 19.6 \text{ N} = 49 \text{ N}$

FROM M₁ AND 3RD LAW : $F_{\text{Floor on } 1} = F_{2 \text{ on } 1} + W_1 = 49 \text{ N} + 9.8 \text{ N} = 58.8 \text{ N}$

LARGEST

$F_{\text{Floor on } 1}$

$F_{1 \text{ on } \text{Floor}}$

$F_{1 \text{ on } 2}$

$F_{2 \text{ on } 1}$

$F_{2 \text{ on } 3}$

$F_{3 \text{ on } 2}$

SMALLEST

$F_{3 \text{ on } 1}$

$F_{1 \text{ on } 3}$

WHEN Accelerating up, the results are the same. Now,

$$F_{2 \text{ on } 3} = W_3 + m_3 a$$

$$F_{1 \text{ on } 2} = F_{2 \text{ on } 3} + W_2 + m_2 a$$

$$F_{\text{Floor on } 1} = F_{2 \text{ on } 1} + W_1 + m_1 a$$

SO EACH ARE Bigger than before but the RANKING stays the SAME.

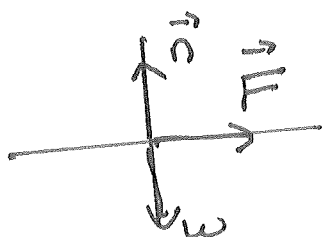
World-Class Sprinter



$$a = 15 \text{ m/s}^2, \quad m = 63 \text{ kg}$$

What horizontal force?

Forces on sprinter: \vec{w} down, \vec{n} up, horizontal \vec{F}



$$\Sigma F_x = ma_x, \quad \Sigma F_y = ma_y$$

Acceleration is horizontal $\Rightarrow a_x = 15 \text{ m/s}^2, a_y = 0$

$$\therefore \Sigma F_x = ma_x \Rightarrow F = ma_x$$

$$\Rightarrow F = (63 \text{ kg})(15 \text{ m/s}^2) = \underline{\underline{945 \text{ N}}}$$

to be complete

$$\begin{aligned} \Sigma F_y = ma_y &\Rightarrow n - w = 0 \Rightarrow n = w = (63 \text{ kg})(9.8 \text{ m/s}^2) \\ &\Rightarrow n = 617.4 \text{ N} \end{aligned}$$

b) Sprinter pushes ^{BACK} ON blocks, so blocks push sprinter FORWARD