## March 21, Week 9

Today: Chapter 7, Energy

Homework #7: Mastering Physics: 6 problems from chapter 7 Written Question: 7.60 Due Monday, March 26 at 11:59pm

Written Homework #5 in mailboxes.

If your exam was not in your mailbox, please come see me.

#### **Review**

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<u>Conservative Forces</u> - Forces that create potential energy. For a conservative force,

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Conservation of Energy - If only conservative forces do work on an object, its total energy cannot change.

Total Energy, E = the sum of kinetic and potential energy.

$$E = K + U$$

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$$-(Mgy_1 - Mgy_2) + W_{other} = \frac{1}{2}Mv_2^2 - \frac{1}{2}Mv_1^2$$

## **Other Forces II**

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Example: A mass slides down a 23°, 2-*m* long incline. If it starts with speed 5 m/s and  $\mu_k = 0.6$ , what is its speed at the bottom?