February 15, Week 5

Today: Chapter 4, Newton's Laws of Motion

Homework 4, Due February 20. Mastering Physics: 9 problems from chapters 1 and 3. Written Question: 3.56



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Force - Push or Pull



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Review

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- **S. I.** : Newton (*N*)

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Force - Push or Pull

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- **U. S. Customary: Pound (***lb***)**
- **S. I.** : Newton (N), 1 N = 0.22 lb (on Earth)

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 $\frac{\text{Superposition}}{\text{of two or more forces}} - \text{The net result}$ is given by the vector sum. $\Sigma \overrightarrow{\mathbf{F}} = \overrightarrow{\mathbf{F}}_1 + \overrightarrow{\mathbf{F}}_2 + \overrightarrow{\mathbf{F}}_3 \dots$

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Newton's First Law

First Law - The Law of Inertia

An object at rest stays at rest, an object in uniform motion stays if uniform motion if (and only if) the net force acting on the object is zero.

<u>Uniform motion</u> - Straight line and constant speed, *i.e*, constant velocity.

<u>Inertia</u> - The property of all matter to stay in motion if already in motion; to stay at rest if already at rest.

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Free-Body Diagram - f. b. d. sketch of all the *forces* acting on an object using a convenient coordinate system.

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Measure of the amount of matter inside an object

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An object already in motion will not move in the direction of the net force. It will **accelerate** in the direction of the net force.



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