

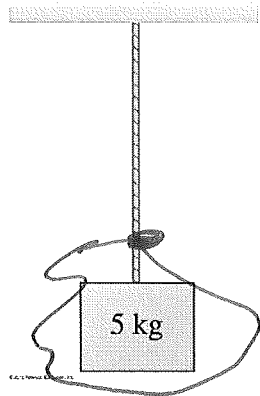
# CHAPTER 4, SECTIONS 4.2-4.7

## 4.2 - Force

(1.) For the following situations:

- Identify the forces acting on the object.
- Draw a free-body diagram for the object.
- Find the magnitude of the requested force by applying Newton's First Law of Motion.

(a) A  $5.0\text{ kg}$  mass is hung from the ceiling using a thin rope. Find the tension force exerted by the rope on the  $5\text{ kg}$  mass. *Hint:* A  $5\text{ kg}$  mass has a weight of  $49\text{ N}$  on earth where this problem is taking place.



Tension Calculation:

$$\text{Not Moving} \Rightarrow \Sigma \vec{F} = 0$$

$$\Rightarrow \vec{T} + \vec{W} = 0 \Rightarrow \vec{T} = -\vec{W} \Rightarrow T = W \text{ (N)}$$

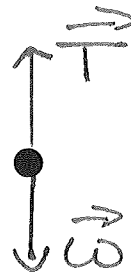
$$\text{MAGNITUDE} \Rightarrow T = 49\text{ N}, \quad \underline{\underline{\vec{T} = 49\text{ N, up}}}$$

Forces: *only Contact Force is upwards*

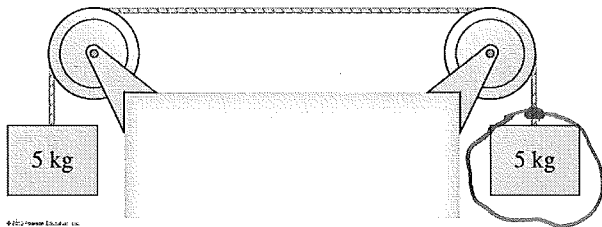
Tension  $\vec{T}$

Long-Range =  $\vec{W}$  DOWN

Free-Body Diagram:



- (b) Two 5 kg masses are connected to each other over pulleys using a rope. What is the tension force that the rope exerts on the right-hand mass if they are both at rest?

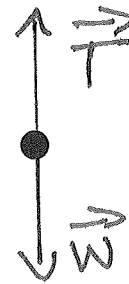


Forces:

ON RIGHT MASS ONLY CONTACT  
FORCE IS TENSION,  $\vec{T}$  UP

LONG-RANGE,  $\vec{W}$  DOWN. 5 kg  $\Rightarrow W = 49\text{N}$

Free-Body Diagram:



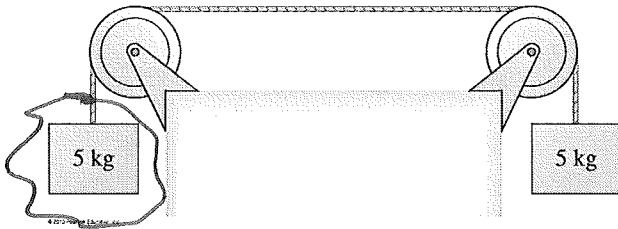
Tension Calculation:

NOT MOVING

$$\Rightarrow \sum \vec{F} = 0$$

$$\Rightarrow \vec{T} + \vec{W} = 0 \Rightarrow \vec{T} = -\vec{W} \Rightarrow \underline{\underline{\vec{T} = 49\text{N, up}}}$$

- (c) Two 5 kg masses are connected to each other over pulleys using a rope. What is the tension force that the rope exerts on the left-hand mass if they are both at rest?



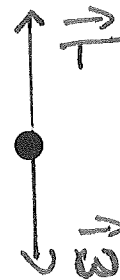
Forces: ON LEFT MASS, ONLY CONTACT

FORCE IS <sup>TENSION</sup>  $T$  UP

ONLY LONG-RANGE:  $\vec{w} = 49\text{N DOWN}$

SINCE ANOTHER 5 KG

Free-Body Diagram:



Tension Calculation:

LEFT MASS NOT MOVING

EITHER  $\Rightarrow \sum \vec{F} = 0$

$$\Rightarrow \vec{T} + \vec{w} = 0 \Rightarrow \vec{T} = -\vec{w} \Rightarrow \vec{T} = \underline{\underline{49\text{N, UP}}}$$

NOTICE HOW THE TENSION ON BOTH ENDS OF THE ROPE WAS THE SAME. THIS IS ALWAYS TRUE FOR "MASSLESS" ROPES.

↳ Negligible MASS

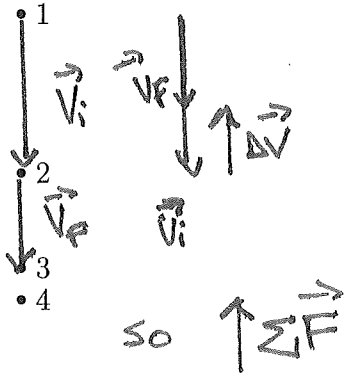
## 4.6 - Newton's Second Law

- (1.) For the following motion diagrams, draw and label the net force vector at point 2. Also, write a one or two sentence "story" about a real object that would have the motion diagram and net force.

(a)

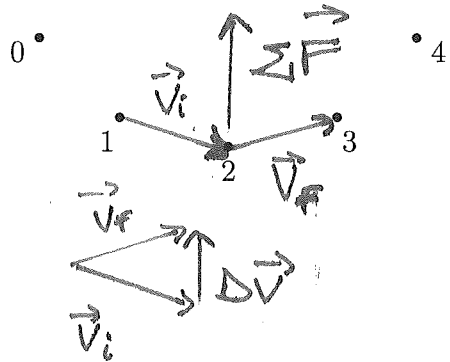
• 0

NET FORCE  
IN SAME DIRECTION  
AS ACCELERATION  
⇒ SAME DIRECTION  
AS  $\Delta \vec{v} = \vec{v}_f - \vec{v}_i$



A PARACHUTIST OPENS HER  
CHUTE AND SLOWS DOWN.  
SHE HAS AN UPWARD NET  
FORCE AND ACCELERATION.

(b)



A ~~Car~~ BICYCLE RIDING  
DOG GOING AROUND  
A CIRCLE WITH CONSTANT  
SPEED HAS AN UPWARD  
NET FORCE & ACCELERATION AT THE  
"BOTTOM" OF THE CIRCLE.

(2.) A constant net force applied to an object makes it accelerate at  $10 \text{ m/s}^2$ .

What will the acceleration be if:

(a) The net force is doubled?  $20 \text{ m/s}^2$   $a = \frac{\Sigma F}{M} \Rightarrow \frac{2\Sigma F}{M} = 2a$

(b) The mass is doubled?  $5 \text{ m/s}^2$   $a = \frac{\Sigma F}{M} \Rightarrow \frac{\Sigma F}{2M} = \frac{a}{2}$

(c) The net force *and* mass are doubled?  $10 \text{ m/s}^2$   $\frac{2\Sigma F}{2M} = \frac{\Sigma F}{M} = a$

(d) The net force is doubled and the mass is halved?  $40 \text{ m/s}^2$   $\frac{2\Sigma F}{\frac{1}{2}M} = 4\left(\frac{\Sigma F}{M}\right) = 4a$

(3.) What is the weight of a  $10 \text{ kg}$  object on earth and on the moon? *Hint:*  
The acceleration due to gravity on the moon is roughly  $1/3$  that of earth.

ON EARTH,  $W = Mg \Rightarrow W = (10 \text{ kg})(9.8 \text{ m/s}^2) = 98 \text{ N}$

ON MOON  $g = \frac{1}{3}(9.8 \text{ m/s}^2) = 3.2666 \text{ m/s}^2 \Rightarrow W = (10 \text{ kg})(3.2666 \text{ m/s}^2)$   
 $= 32.6666 \text{ m/s}^2$   
 $= 33 \text{ N}$

(4.) What is the mass of a  $10 \text{ kg}$  object on earth and on the moon?

MASS DOES NOT CHANGE SINCE AMOUNT OF MATTER THE SAME

$\Rightarrow M = 10 \text{ kg}$  ON BOTH

- (5.) What is the mass in kilograms of a 125 N object if that weight was measured on the earth or on the moon?

$$W = Mg \Rightarrow M = \frac{W}{g} \Rightarrow \text{ON EARTH, } M = \frac{125\text{N}}{9.8\text{m/s}^2} = 12.7551\text{kg} \\ = \text{12.8 kg}$$

$$\text{ON MOON: } M = \frac{125\text{N}}{3.266\text{m/s}^2} = 38.3\text{kg}$$

- (6.) What is the weight of a 12.5 g object on earth?

$$W = Mg \quad \text{but } 1\text{N} = 1\text{kg}\cdot\text{m/s}^2 \Rightarrow \text{HAVE TO USE KG}$$

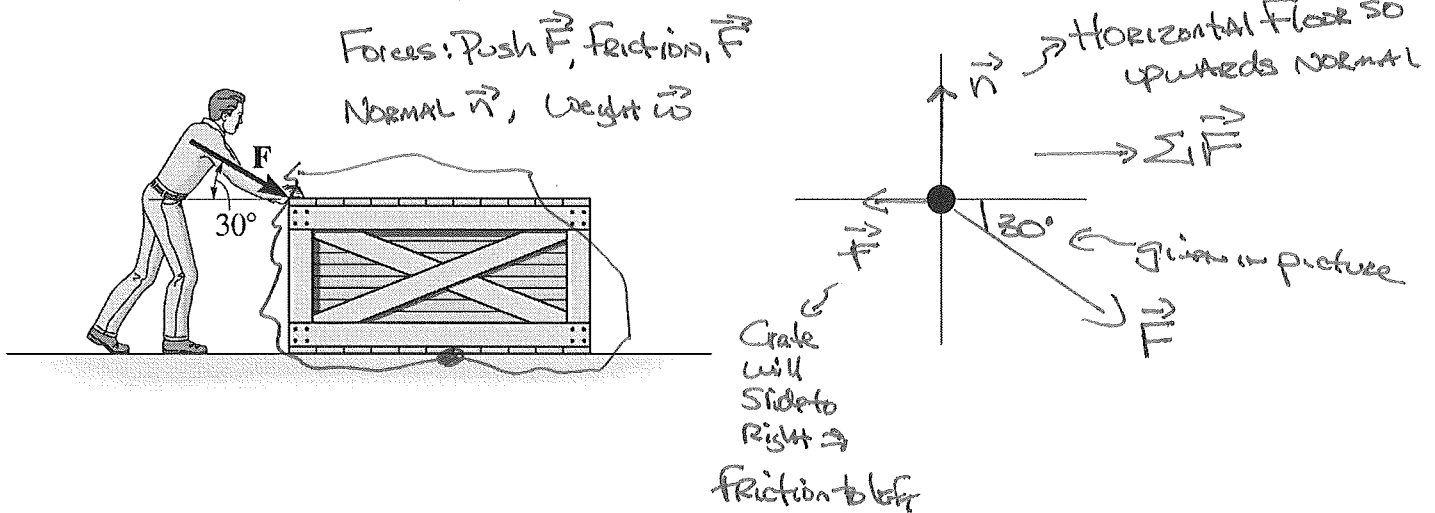
$$M = 12.5\text{g} \times \frac{\text{kg}}{1000\text{g}} = 0.0125\text{kg}$$

$$W = (0.0125\text{kg})(9.8\text{m/s}^2) = 0.1125\text{N} = 0.113\text{N}$$

## 4.7 - Free-Body Diagrams

For each of the following pictures and situations draw a free-body diagram for the object of interest. *Note:* These pictures may contain additional information that may not be necessary to include yet. Please follow all steps in Tactics Box 4.3 of the textbook.

- (1.) A man pushes a crate across a rough, horizontal floor. Assume the push is large enough to cause the crate to accelerate forwards.



- (2.) A motor winds in a rope that pulls the crate up the completely smooth incline. Draw the free-body diagram for the crate using "titled" axes.

