

Physics (51), Hw #2

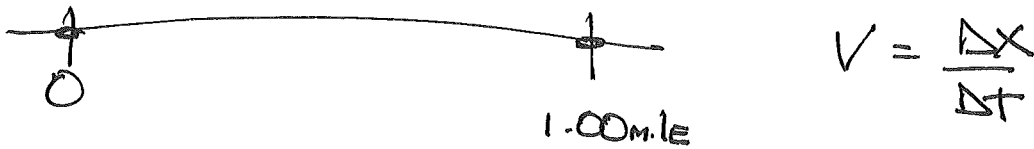
7 Mastering Physics from chapters 1 & 2

Written: 1.39, 1.44

52 SHANNON'S SPEED = 70 mph = 70 mi/h.

MILE MARKERS 1.00 mile APART IN 54s.

IS SPEEDOMETER ACCURATE?



CALCULATE ACTUAL V USING $\Delta X = 1.00 \text{ mi}$

$$\Delta t = 54 \text{ s} \times \frac{1 \text{ h}}{3600 \text{ s}} = .015 \text{ h}$$

$$V_{\text{ACTUAL}} = \frac{1.00 \text{ mi}}{.015 \text{ h}} = 66.7 \text{ mph} \leftarrow \text{SPEEDOMETER READING TOO HIGH}$$

56.

E. coli

2 μm long cylinder1 μm diameter 1×10^{-12} g massDNA 700 \times longer than length20 $\mu\text{m/s}$ speed

Find in S.I. using proper sig-fig

a) LENGTH: $1 \mu\text{m} = 1 \times 10^{-6} \text{m} \Rightarrow 2 \mu\text{m} \times \frac{1 \times 10^{-6} \text{m}}{1 \mu\text{m}} = \underline{\underline{2 \times 10^{-6} \text{m}}}$

b) DIAMETER: $1 \mu\text{m} = \underline{\underline{1 \times 10^{-6} \text{m}}}$

c) MASS: $1 \text{kg} = 1000 \text{g} \Rightarrow 1 \times 10^{-12} \text{g} \times \frac{1 \text{kg}}{1000 \text{g}} = \underline{\underline{1 \times 10^{-15} \text{kg}}}$

d) DNA LENGTH IN millimeters:

LENGTH: $l = 700 \times 2 \mu\text{m} = 1400 \mu\text{m} \times \frac{1 \times 10^{-6} \text{m}}{1 \mu\text{m}} = .0014 \text{m}$

$1 \text{mm} = .001 \text{m} \Rightarrow .0014 \text{m} \times \frac{1 \text{mm}}{.001 \text{m}} = 1.4 \text{mm} = 1 \text{mm}$ to 1 sig fig

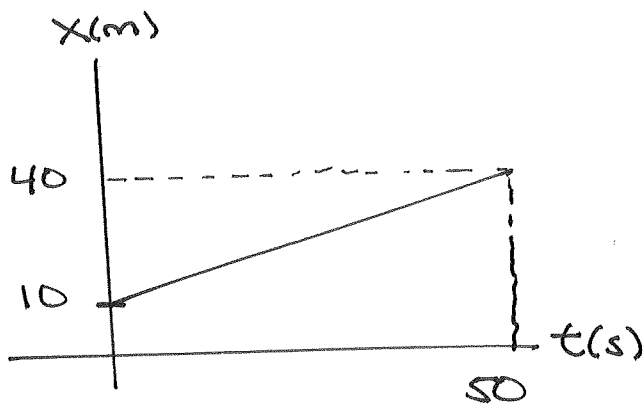
e) How many meters in a day: $V = \frac{\Delta x}{\Delta t}$. $V = \frac{20 \mu\text{m}}{\text{s}} \times \frac{1 \times 10^{-6} \text{m}}{1 \mu\text{m}} = 2 \times 10^{-5} \text{m/s}$

$\Delta t = 1 \text{day} \times \frac{24 \text{h}}{\text{day}} \times \frac{3600 \text{s}}{\text{h}} = 86400 \text{s} \Rightarrow 2 \times 10^{-5} \text{m/s} = \frac{\Delta x}{86400 \text{s}} \Rightarrow \Delta x = (2 \times 10^{-5} \text{m/s})(86400 \text{s})$

$= 1.728 \text{m} = \underline{\underline{2 \text{m}}}$

1 sig fig

WHAT X vs. t GRAPHS CAN TELL YOU:



a) WHAT IS TOTAL distance? $\Delta X = X_f - X_i$. JUST READ OFF VALUES

at $t_f = 50s$, $X_f = 40m$, at $t_i = 0$, $X_i = 10m$

$\Rightarrow \Delta X = 40m - 10m = 30m$

b) WHAT IS V_{AV} for $\Delta t = 50s$? $V_{AV} = \frac{\Delta X}{\Delta t}$. ALREADY HAVE $\Delta X = 30m$

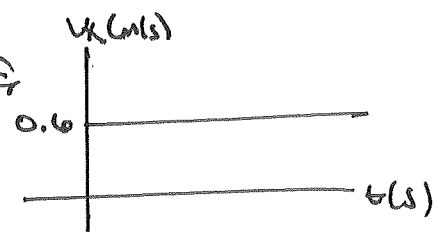
$\Rightarrow V_{AV} = \frac{30m}{50s} = 0.6m/s$

c) WHAT IS V_x at $t = 10s$. X vs t IS STRAIGHT LINE \Rightarrow UNIFORM MOTION

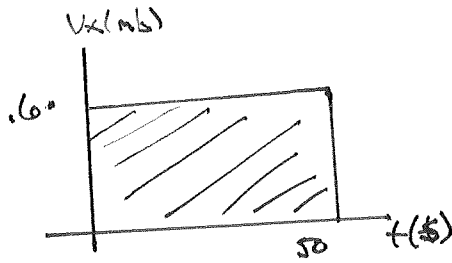
\Rightarrow Constant velocity. So $V_{AV} = V_x$ at all times $\Rightarrow V_x = 0.6m/s$ too

d) Correct V_x graph? \rightarrow AGAIN, UNIFORM MOTION \Rightarrow Constant V_x

\Rightarrow HORIZONTAL V_x vs. t graph. $V_x = 0.6m/s \Rightarrow$



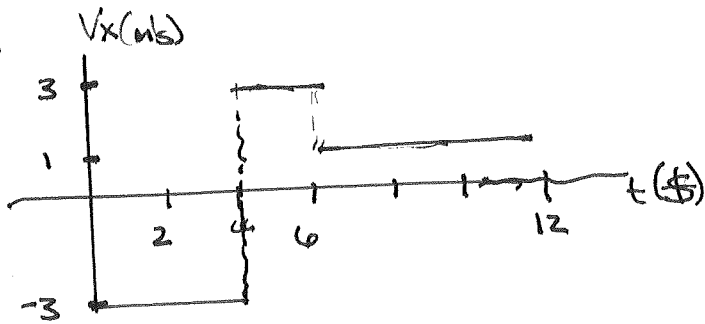
Part E → e)



$$\text{Area} = .6 \text{ m/s} (50 \text{ s})$$
$$= 30 \text{ m}$$

∫
Just verifying
That AREA UNDER
 V_x PLOT IS EQUAL TO
 ΔX

2.8



Draw corresponding x vs t . Assume $x=0$ at $t=0$

First: Notice that v_x consists of 3 horizontal line segments
 \Rightarrow 3 uniform motions combined together \Rightarrow 3 line segments
 for x vs t

To find distances traveled use $v_x = \frac{\Delta x}{\Delta t} \Rightarrow \Delta x = v_x \Delta t$ OR EQUIVALENTLY

Find AREA ON GRAPH. THEN TO FIND POSITION USE $\Delta x = x_f - x_i \Rightarrow x_f = x_i + \Delta x$

For $0 < t < 4s$ $\Delta t = 4s - 0 = 4s$, $v_x = -3 \text{ m/s} \Rightarrow \Delta x = (-3 \text{ m/s})(4s) = -12 \text{ m}$

~~At~~ At $t=0$, $x=0 \Rightarrow x_i = 0 \Rightarrow x_f = 0 - 12 \text{ m} = -12 \text{ m}$

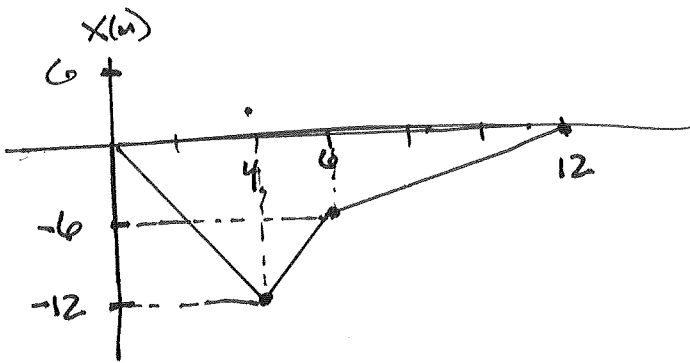
For $4s < t < 6s$ $\Delta t = 6s - 4s = 2s$, $v_x = +3 \text{ m/s} \Rightarrow \Delta x = (3 \text{ m/s})(2s) = 6 \text{ m}$

but now $t_i = 4s \Rightarrow x_i = x \text{ at } 4s = -12 \text{ m} \Rightarrow x_f = -12 \text{ m} + 6 \text{ m} = -6 \text{ m}$

For $6s < t < 12s$, $\Delta t = 12s - 6s = 6s$, $v_x = +1 \text{ m/s} \Rightarrow \Delta x = (1 \text{ m/s})(6s) = 6 \text{ m}$

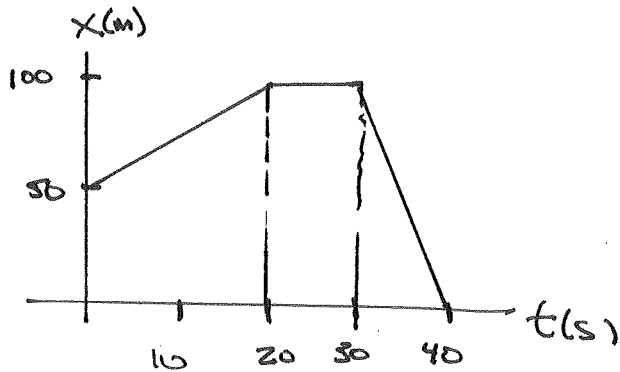
Here $t_i = 6s \Rightarrow x_i = -6 \text{ m} \Rightarrow x_f = -6 \text{ m} + 6 \text{ m} = 0$

Putting this All together:



Part B: what is x at $t=12s$? $x = 0m$

2.9



Notice: 3 straight line
segments \Rightarrow 3 uniform
motions

a) What is velocity at $t=10s$

This is x vs $t \Rightarrow v_x = \text{slope}$. $t=10s$ is during first line segment

\Rightarrow use ~~x~~ $t_i=0$, $t_f=20s$, $x_i=50m$, $x_f=100m$

$\Rightarrow v_x = \frac{\Delta x}{\Delta t}$ \leftarrow gives instantaneous velocity because this is uniform motion

$$v_x = \frac{(100m - 50m)}{(20s - 0)} = \frac{50m}{20s} = 2.5m/s$$

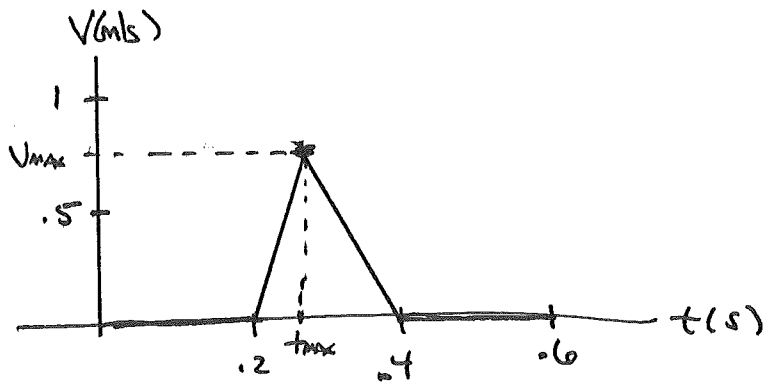
b) What is velocity at $t=25s$ \leftarrow during 2nd segment which is horizontal $\Rightarrow v_x = 0$. OR, equivalently, $x_i = x_f = 100m$ for

2nd segment $\Rightarrow \Delta x = 0 \Rightarrow v_x = 0$

What v_x at $t=35s$? 3rd segment has $t_i=30s$, ~~x~~ $t_f=40s \Rightarrow x_i=100m$, $x_f=0$

$$\Rightarrow v_x = \frac{(0 - 100m)}{(40s - 30s)} = \frac{-100m}{10s} = -10m/s$$

18.

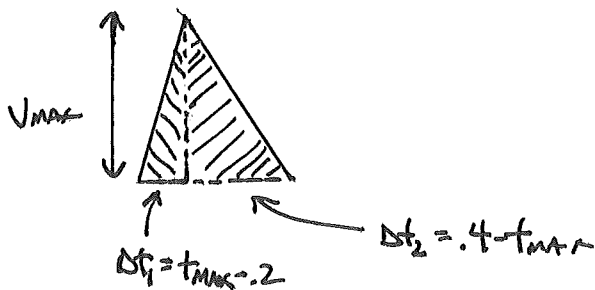


TO ME, I MEASURE
THE MAX VELOCITY
TO BE HALFWAY
BETWEEN .5 AND 1
WHILE t_{MAX} IS ABOUT $\frac{1}{3}$
OF THE WAY BETWEEN
.25 AND .4s .

YOU MAY HAVE SLIGHTLY DIFFERENT VALUES.

a) Approximately how far does blood go during one beat.

How far \Rightarrow AREA



$$V_{MAX} = .75 \text{ m/s} \leftarrow \text{HALFWAY}$$

$$t_{MAX} = .2 + \frac{1}{3}(.4 - .2) \\ = .2 + \frac{1}{3}(.2) = .2667 \text{ s}$$

$$\Rightarrow dt_1 = .0667 \text{ s} \quad dt_2 = .1333 \text{ s}$$

$$\text{TWO TRIANGLES} \Rightarrow \Delta X = \frac{1}{2} dt_1 V_{max} + \frac{1}{2} dt_2 V_{max}$$

$$\Delta X = \frac{1}{2} (.0667 \text{ s})(.75 \text{ m/s}) + \frac{1}{2} (.1333 \text{ s})(.75 \text{ m/s}) = \frac{1}{2} (.2 \text{ s})(.75 \text{ m/s})$$

$$\Rightarrow \boxed{\Delta X = .075 \text{ m} \times \frac{100 \text{ cm}}{\text{m}} = 7.5 \text{ cm}}$$

b) Estimate How MANY BEATS From Heart to BRAIN.

I (think) ITS ABOUT $\frac{1}{4}$ meter From BRAIN to Heart

$$\frac{1}{4}m = .25m = 25cm$$

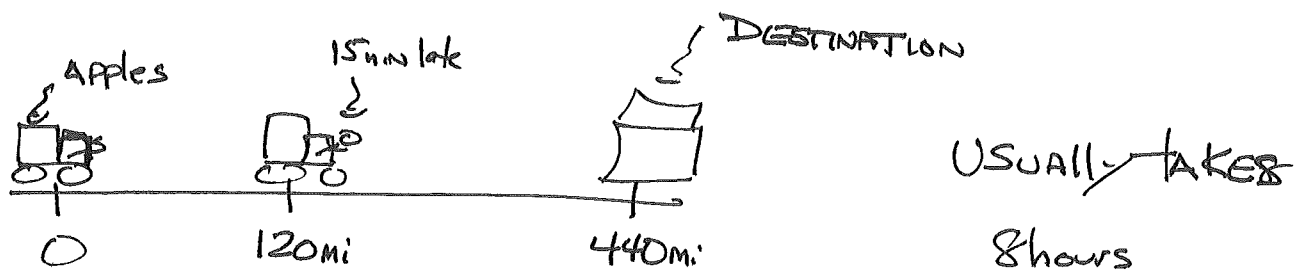
BLOOD TRAVELS 7.5cm/beat

$$\therefore \# \text{beats} = \frac{25cm}{7.5cm/\text{beat}} = 3.33 \approx 3 \text{beats}$$

Note: the ORIGINAL book problem had you estimate your own height. IN Mastering, they just tell you to use 30cm.

$$\text{For } 30cm, \# \text{beats} = \frac{30cm}{7.5cm/\text{beat}} = 4$$

49



WHAT SPEED FOR REMAINING DISTANCE TO MAKE UP TIME.

SPLIT TRIP INTO TWO PIECES: ① AND ② → ① = First 120mi

② = REST

$$V_1 = \frac{\Delta X_1}{\Delta t_1} \cdot \Delta X_1 = 120 \text{mi}, \Delta t_1 = ?, V_1 = ?$$

$$V_2 = \frac{\Delta X_2}{\Delta t_2} \cdot \Delta X_2 = 440 \text{mi} - 120 \text{mi} = 320 \text{mi}, \Delta t_2 = ?$$

$V_2 = ?$ AND V_2 IS FINAL ANSWER.

WE ^{KNOW} $\Delta t_1 + \Delta t_2 = 8 \text{h}$ → IF WE FIND Δt_1 , WE CAN SOLVE FOR Δt_2 .

USE THE 15min LATER THAN USUAL; $\Delta t_1 = \Delta t_{1, \text{USUAL}} + 15 \text{min}$

$\Delta t_{1, \text{USUAL}} = \text{USUAL time to travel } \Delta X_1 = 120 \text{mi}$

$$V_{\text{USUAL}} = \frac{440 \text{ mi}}{8 \text{ h}} = 55 \text{ mi/h}$$

$$V_{\text{USUAL}} = \frac{\Delta x_1}{\Delta t_{1, \text{USUAL}}} \Rightarrow 55 \text{ mi/h} = \frac{120 \text{ mi}}{\Delta t_{1, \text{USUAL}}} \Rightarrow \Delta t_{1, \text{USUAL}} = \frac{120 \text{ mi}}{55 \text{ mi/h}}$$

↳ UNIT: $\frac{\text{mi}}{\text{mi}} = \text{h}$

$$\approx 2.181818 \text{ h}$$

$$\Delta t_1 = \Delta t_{1, \text{USUAL}} + 15 \text{ min.} \quad 15 \text{ min} \times \frac{1 \text{ h}}{60 \text{ min}} = .25 \text{ h}$$

$$\Rightarrow \Delta t_1 = 2.431818 \text{ h}$$

$$\Delta t_1 + \Delta t_2 = 8 \text{ h} \Rightarrow \Delta t_2 = 8 \text{ h} - 2.431818 \text{ h} \approx 5.568181 \text{ h}$$

$$\therefore V_2 = \frac{\Delta x_2}{\Delta t_2} = \frac{320 \text{ mi}}{5.568181 \text{ h}} = 57.469 \text{ mi/h} = 57.5 \text{ mi/h}$$

57 mi/h to 2 sig fig

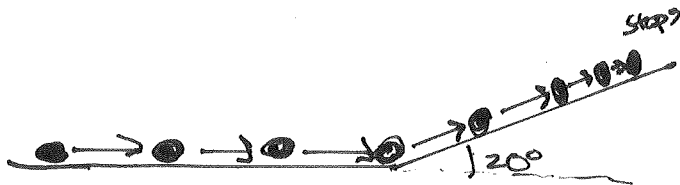
1.39 DRAW MOTION DIAGRAM FOR BALL rolling on Smooth,

Horizontal floor which rolls up a 20° RAMP, ^{AND} stops, ~~AND~~ ^{(AND then} rolls back ^{Down)}

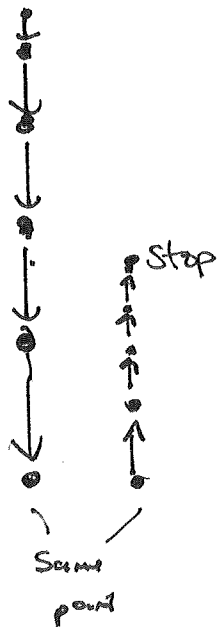
ON ~~the~~ ^{Floor} ball has constant speed (hence the word smooth)

\Rightarrow EQUAL SPACING OF dots.

UP RAMP, the ball is slowing DOWN since its speed has changed FOR 10ms to ZERO \Rightarrow Dots getting closer together.



1.44.



Be Creative!

Jack drops his Phone off the top of his roof of his Apartment building. (He was foolishly sunbathing up there) The phone falls with increasing speed. Luckily, Jack has the new "protect-a-phone" app that inflates a small balloon around the phone just before impact. This allows it to bounce back up (but with smaller ^{upward} speed) It flies into the air with decreasing speed AND is caught by his Roommate Sally, just at the top of its motion