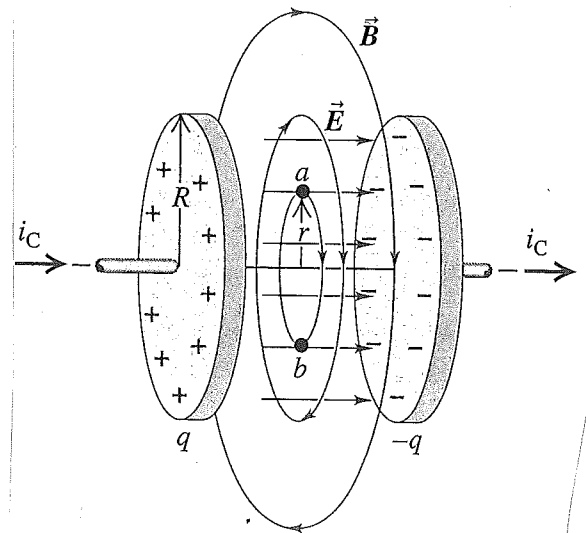
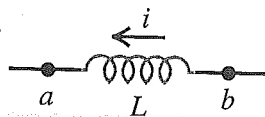


**29.36.** A parallel-plate, air-filled capacitor is being charged as in Fig. 29.23. The circular plates have radius 4.00 cm, and at a particular instant the conduction current in the wires is 0.280 A. (a) What is the displacement current density  $j_D$  in the air space between the plates? (b) What is the rate at which the electric field between the plates is changing? (c) What is the induced magnetic field between the plates at a distance of 2.00 cm from the axis? (d) At 1.00 cm from the axis?

**29.23** A capacitor being charged by a current  $i_C$  has a displacement current equal to  $i_C$  between the plates, with displacement-current density  $j_D = \epsilon dE/dt$ . This can be regarded as the source of the magnetic field between the plates.

**30.10.** The inductor shown in Fig. 30.18 has inductance 0.260 H and carries a current in the direction shown. The current is changing at a constant rate. (a) The potential between points  $a$  and  $b$  is  $V_{ab} = 1.04$  V, with point  $a$  at higher potential. Is the current increasing or decreasing? (b) If the current at  $t = 0$  is 12.0 A, what is the current at  $t = 2.00$  s?

**Figure 30.18**  
Exercises 30.9  
and 30.10.



**30.60.** While studying a coil of unknown inductance and internal resistance, you connect it in series with a 25.0-V battery and a 150- $\Omega$  resistor. You then place an oscilloscope across one of these circuit elements and use the oscilloscope to measure the voltage across the circuit element as a function of time. The result is shown in Fig. 30.20. (a) Across which circuit element (coil or resistor) is the oscilloscope connected? How do you know this? (b) Find the inductance and the internal resistance of the coil. (c) Carefully make a quantitative sketch showing the voltage versus time you would observe if you put the oscilloscope across the other circuit element (resistor or coil).

**Figure 30.20** Problem 30.60.

