

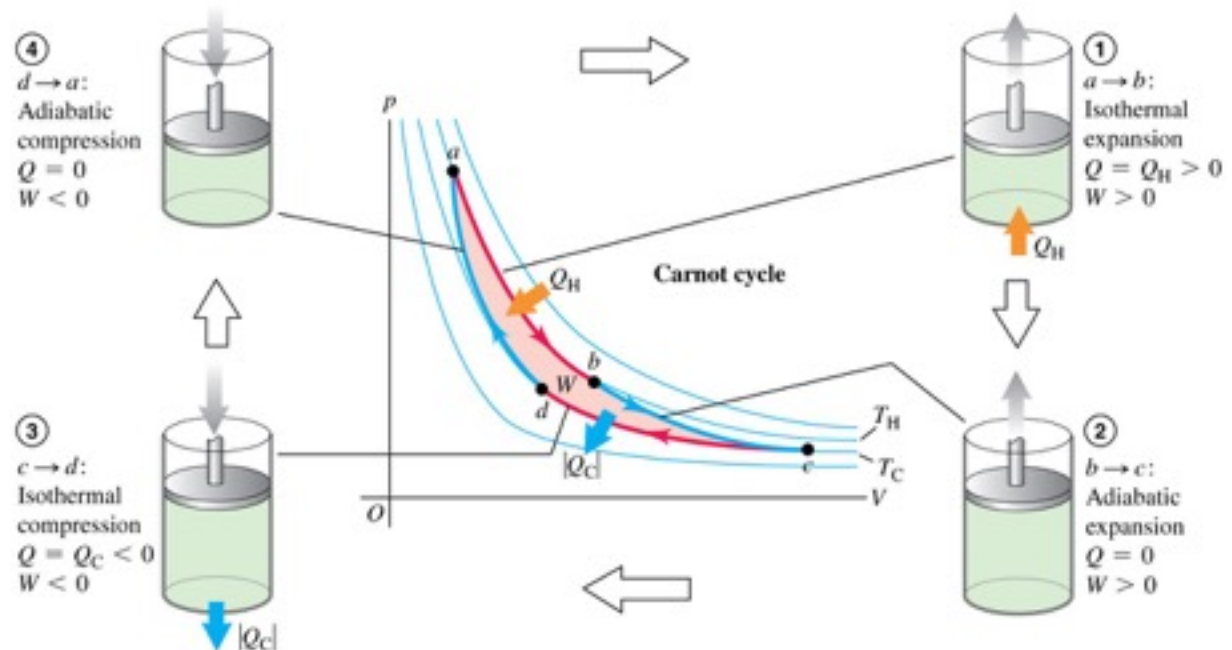
# Lecture 8

PHYC 161 Fall 2016

# Ex 20.3 Carnot

## EXAMPLE 20.3 ANALYZING A CARNOT ENGINE II

Suppose 0.200 mol of an ideal diatomic gas ( $\gamma = 1.40$ ) undergoes a Carnot cycle between  $227^\circ\text{C}$  and  $27^\circ\text{C}$ , starting at  $p_a = 10.0 \times 10^5 \text{ Pa}$  at point  $a$  in the  $pV$ -diagram of Fig. 20.13. The volume doubles during the isothermal expansion step  $a \rightarrow b$ . (a) Find the pressure and volume at points  $a$ ,  $b$ ,  $c$ , and  $d$ . (b) Find  $Q$ ,  $W$ , and  $\Delta U$  for each step and for the entire cycle. (c) Find the efficiency directly from the results of part (b), and compare with the value calculated from Eq. (20.14).



# Entropy and the second law

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- The second law of thermodynamics can be stated in terms of entropy:
  - ✓ **No process is possible in which the total entropy decreases, when all systems taking part in the process are included.**
- The entropy of the ink–water system *increases* as the ink mixes with the water.



# Entropy in reversible processes

- We introduce the symbol  $S$  for the entropy of the system, and we define the infinitesimal entropy change  $dS$  during an infinitesimal reversible process at absolute temperature  $T$  as:

$$dS = \frac{dQ}{T} \quad (\text{infinitesimal reversible process})$$

- The total entropy change over any reversible process is:

The diagram shows the equation  $\Delta S = \int_1^2 \frac{dQ}{T}$  with several annotations. A dotted arrow points from the text 'Entropy change in a reversible process' to the  $\Delta S$  term. Another dotted arrow points from 'Lower limit = initial state' to the subscript 1. A third dotted arrow points from 'Upper limit = final state' to the superscript 2. A fourth dotted arrow points from 'Infinitesimal heat flow into system' to the  $dQ$  term. A fifth dotted arrow points from 'Absolute temperature' to the  $T$  term.

Entropy change in a reversible process  $\Delta S = \int_1^2 \frac{dQ}{T}$

Lower limit = initial state

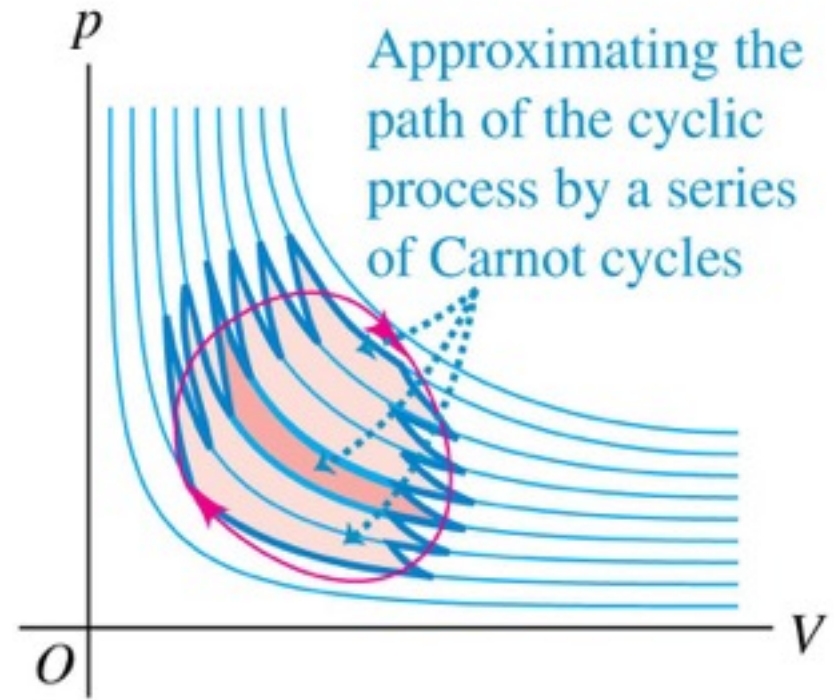
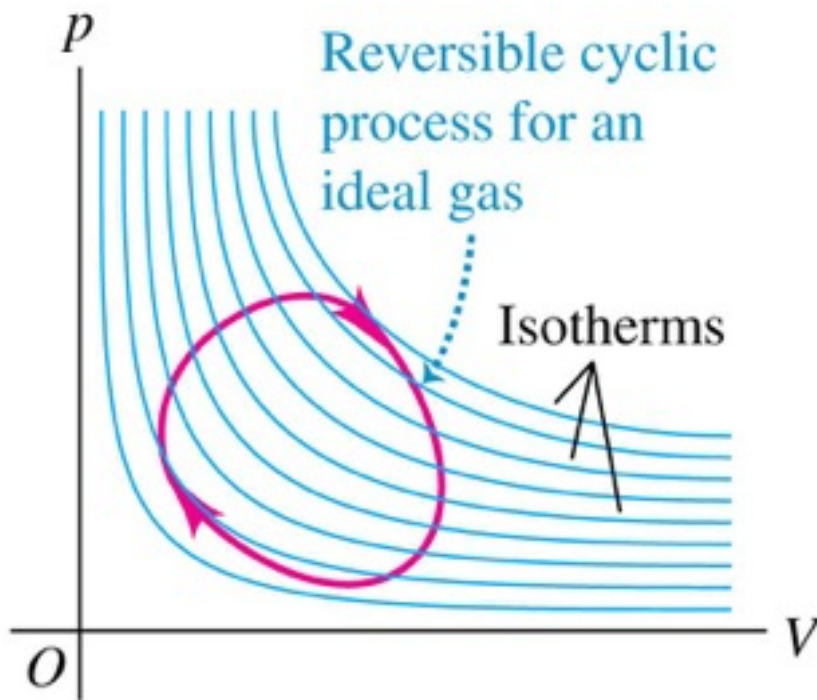
Upper limit = final state

Infinitesimal heat flow into system

Absolute temperature

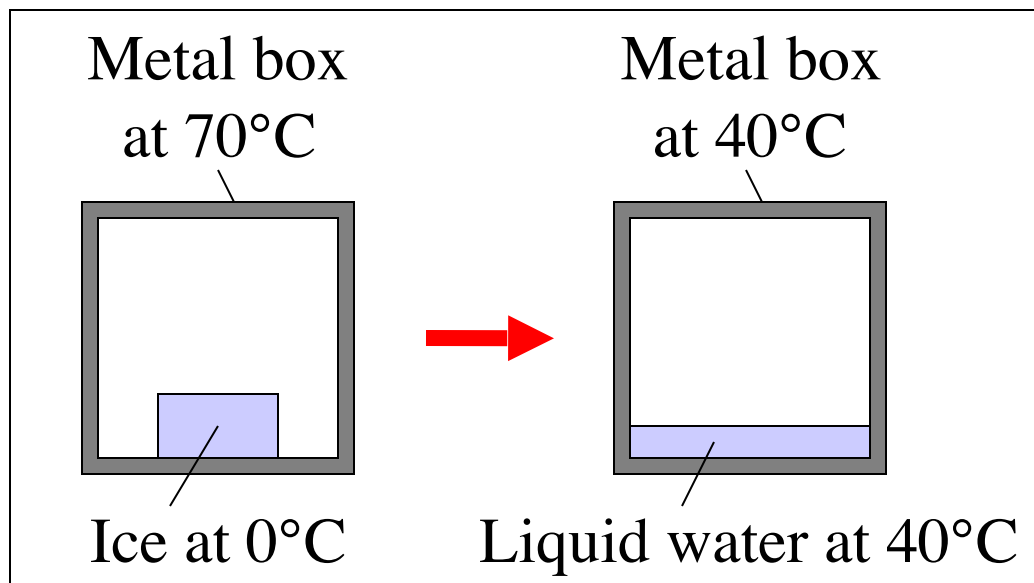
# Entropy in cyclic processes

- The total entropy change in one cycle of any Carnot engine is zero.
- This result can be generalized to show that the total entropy change during *any* **reversible cyclic process** is zero.



## Q20.8

You put an ice cube at  $0^{\circ}\text{C}$  inside a large metal box at  $70^{\circ}\text{C}$ . The ice melts and the entropy of the ice increases. Which statement is correct?



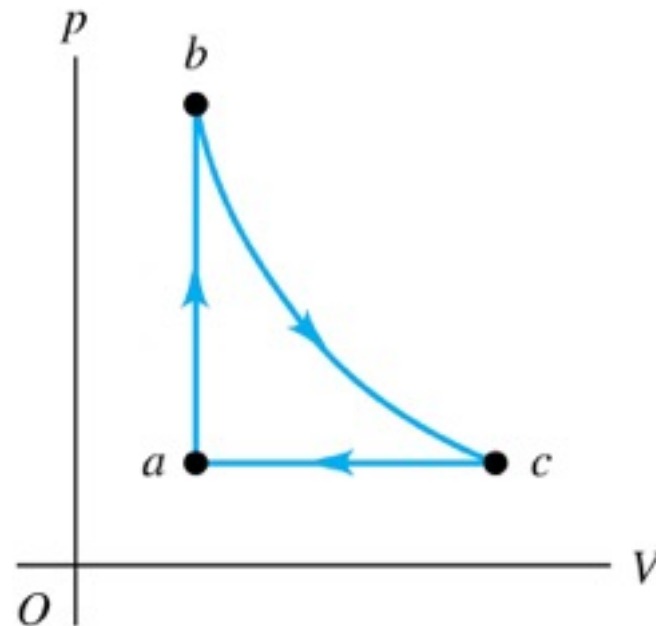
- A. Entropy of the metal box is unchanged; total entropy increases.
- B. Entropy of the metal box decreases; total entropy decreases.
- C. Entropy of the metal box decreases; total entropy is unchanged.
- D. Entropy of the metal box decreases; total entropy increases.
- E. none of the above

## Q20.9

An ideal gas is taken around the cycle shown in this  $p$ - $V$  diagram, from  $a$  to  $b$  to  $c$  and back to  $a$ .

Process  $b \rightarrow c$  is *isothermal*.

What can you conclude about the net entropy change of the *gas* during the cycle?



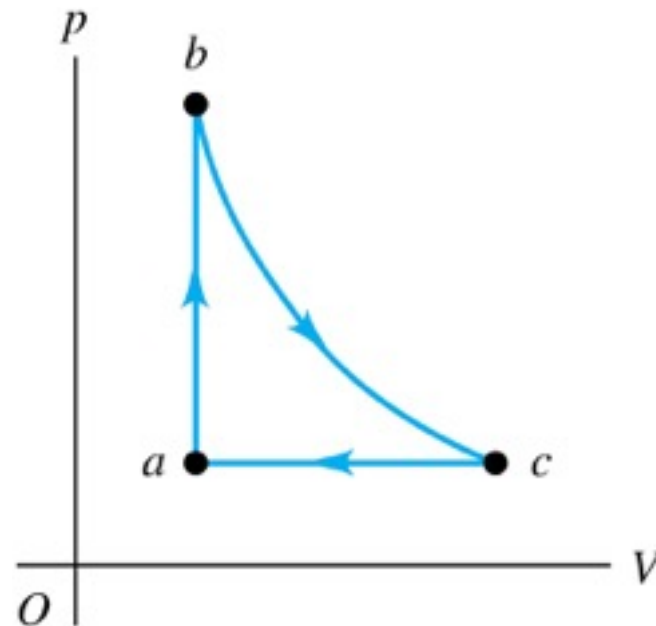
- A. It is positive.
- B. It is negative.
- C. It is zero.
- D. Two of A, B, and C are possible.
- E. All three of A, B, and C are possible.

## Q20.10

An ideal gas is taken around the cycle shown in this  $p$ - $V$  diagram, from  $a$  to  $b$  to  $c$  and back to  $a$ .

Process  $b \rightarrow c$  is *isothermal*.

What can you conclude about the net entropy change of the *gas and its environment* during the cycle?



A. It is positive.

B. It is negative.

C. It is zero.

D. Two of A, B, and C are possible.

E. All three of A, B, and C are possible.



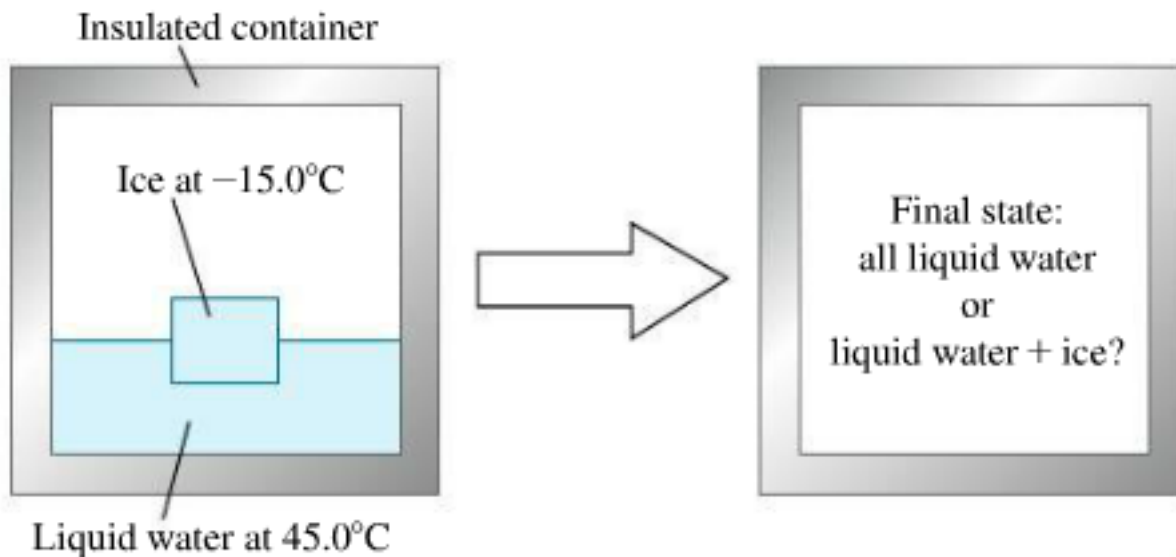
# Ch 20 Bridging problem—calorimetry, entropy

## BRIDGING PROBLEM

## ENTROPY CHANGES: COLD ICE

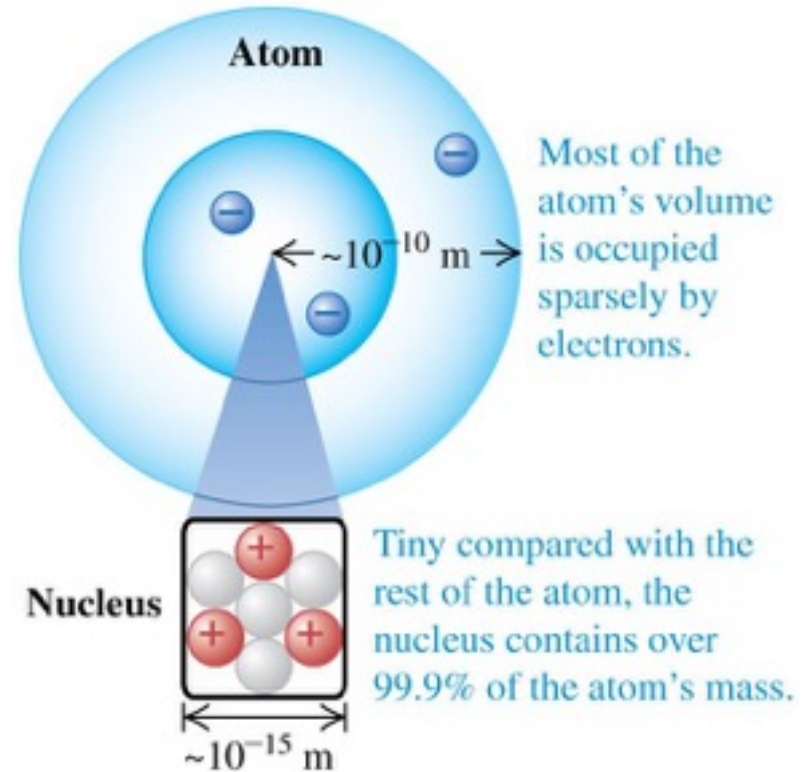
An insulated container of negligible mass holds 0.600 kg of water at  $45.0^\circ\text{C}$ . You put a 0.0500-kg ice cube at  $-15.0^\circ\text{C}$  in the water (**Fig. 20.23**). (a) Calculate the final temperature of the water once the ice has melted. (b) Calculate the change in entropy of the system.

**20.23** What becomes of this ice–water mixture?



# Electric charge and the structure of matter

- The particles of the atom are the negative *electrons* (dark blue spheres in this figure), the positive *protons* (red spheres), and the uncharged *neutrons* (gray spheres).
- Protons and neutrons make up the tiny dense nucleus, which is surrounded by electrons.

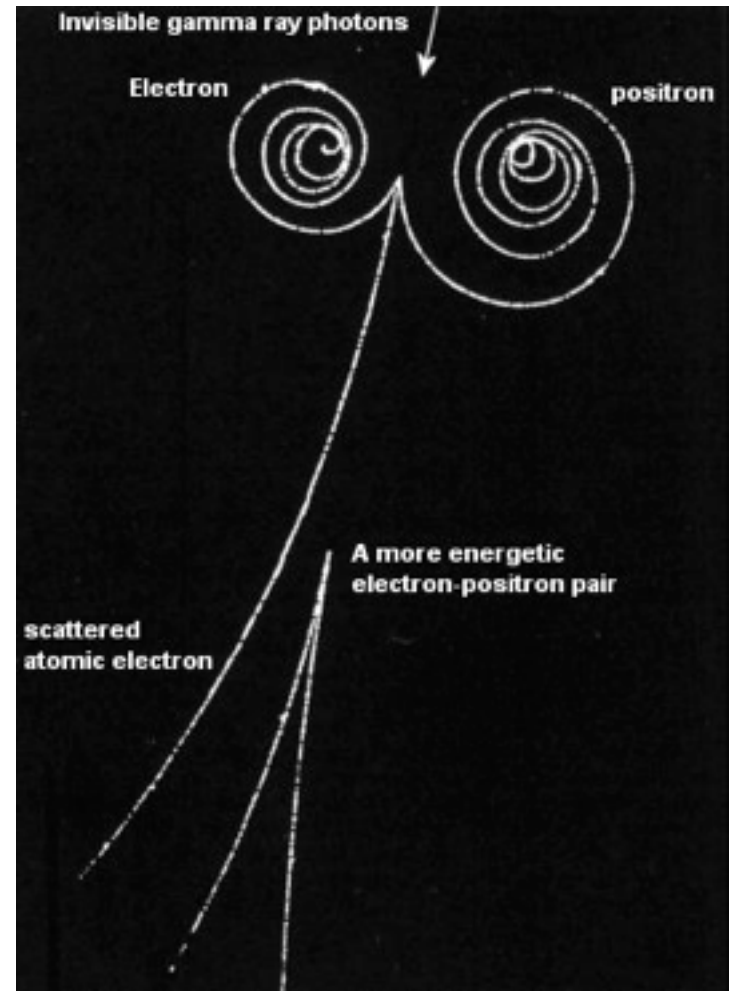


Atomic number = # protons

Atomic mass = # protons + # neutrons

# Conservation of charge - why?

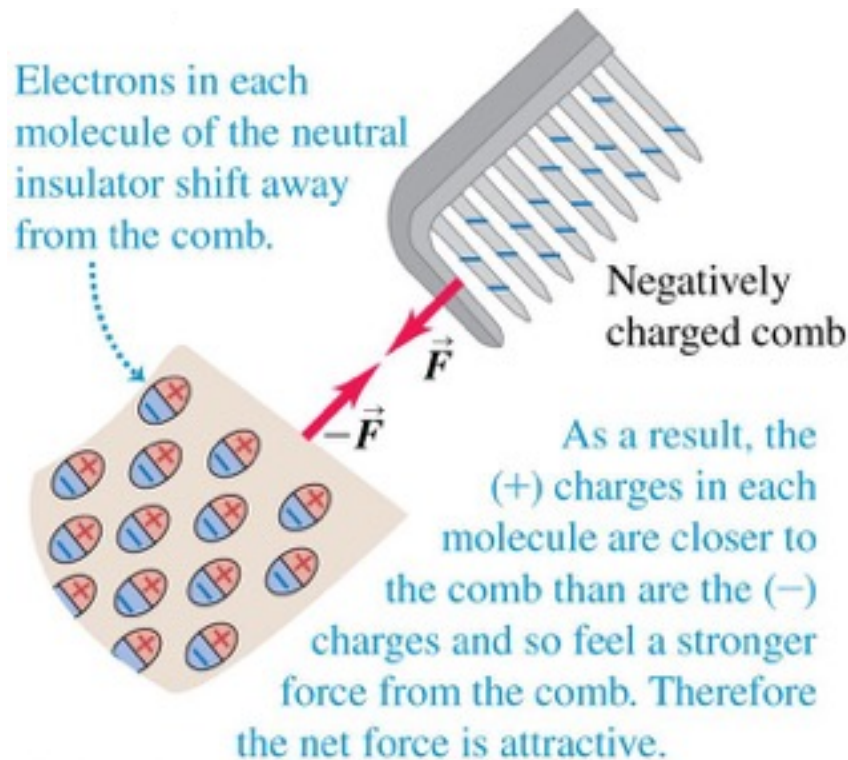
- The proton and electron have the same magnitude charge.
- The magnitude of charge of the electron or proton is a natural unit of charge. All observable charge is *quantized* in this unit.
- The universal **principle of charge conservation** states that the algebraic sum of all the electric charges in any closed system is constant.



*pair production in a bubble chamber*

# Electric forces on uncharged objects

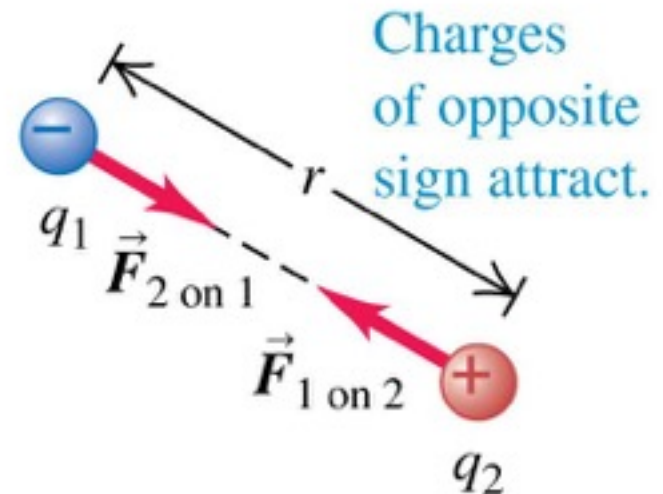
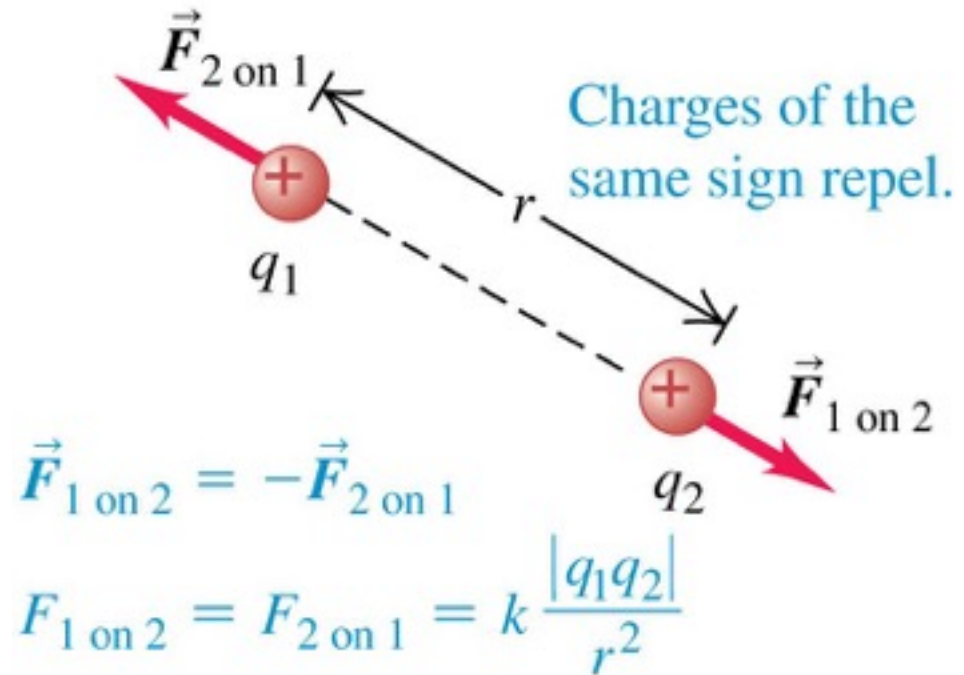
- The negatively charged plastic comb causes a slight shifting of charge within the molecules of the neutral insulator, an effect called **polarization**.



# Coulomb's Law

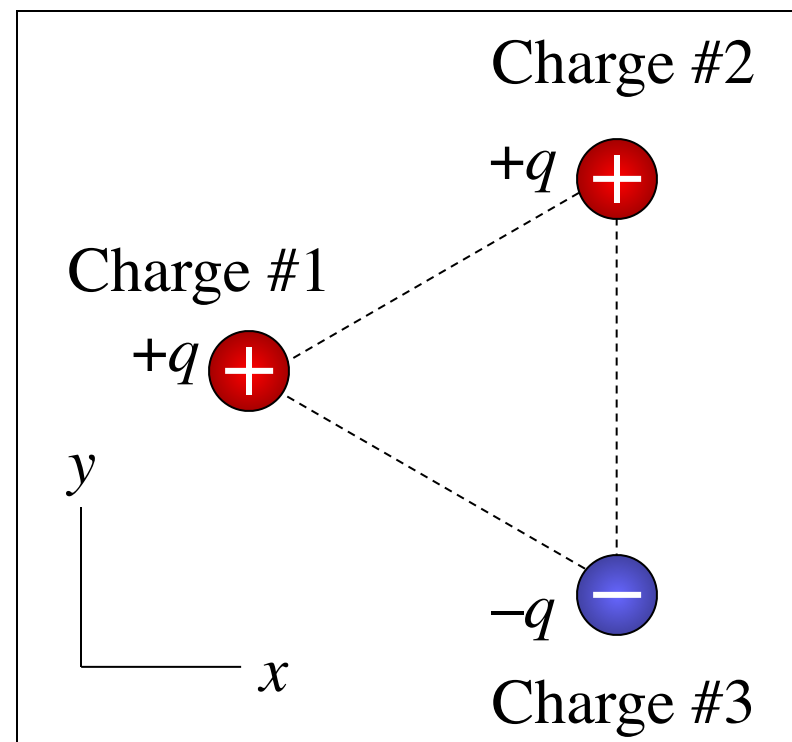
- **Coulomb's Law:** The magnitude of the electric force between two point charges is directly proportional to the product of their charges and inversely proportional to the square of the distance between them.

$$F = k \frac{|q_1 q_2|}{r^2}$$



## Q21.3

Three point charges lie at the vertices of an equilateral triangle as shown. All three charges have the same magnitude, but charges #1 and #2 are positive ( $+q$ ) and charge #3 is negative ( $-q$ ). The net electric force that charges #2 and #3 exert on charge #1 is in



A. the  $+x$ -direction.

B. the  $-x$ -direction.

C. the  $+y$ -direction.

D. the  $-y$ -direction.

E. none of the above.